

# Potential of Sentinel-2 and SPOT5 (Take5) time series for the estimation of grasslands biodiversity indices

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## Context and objectives

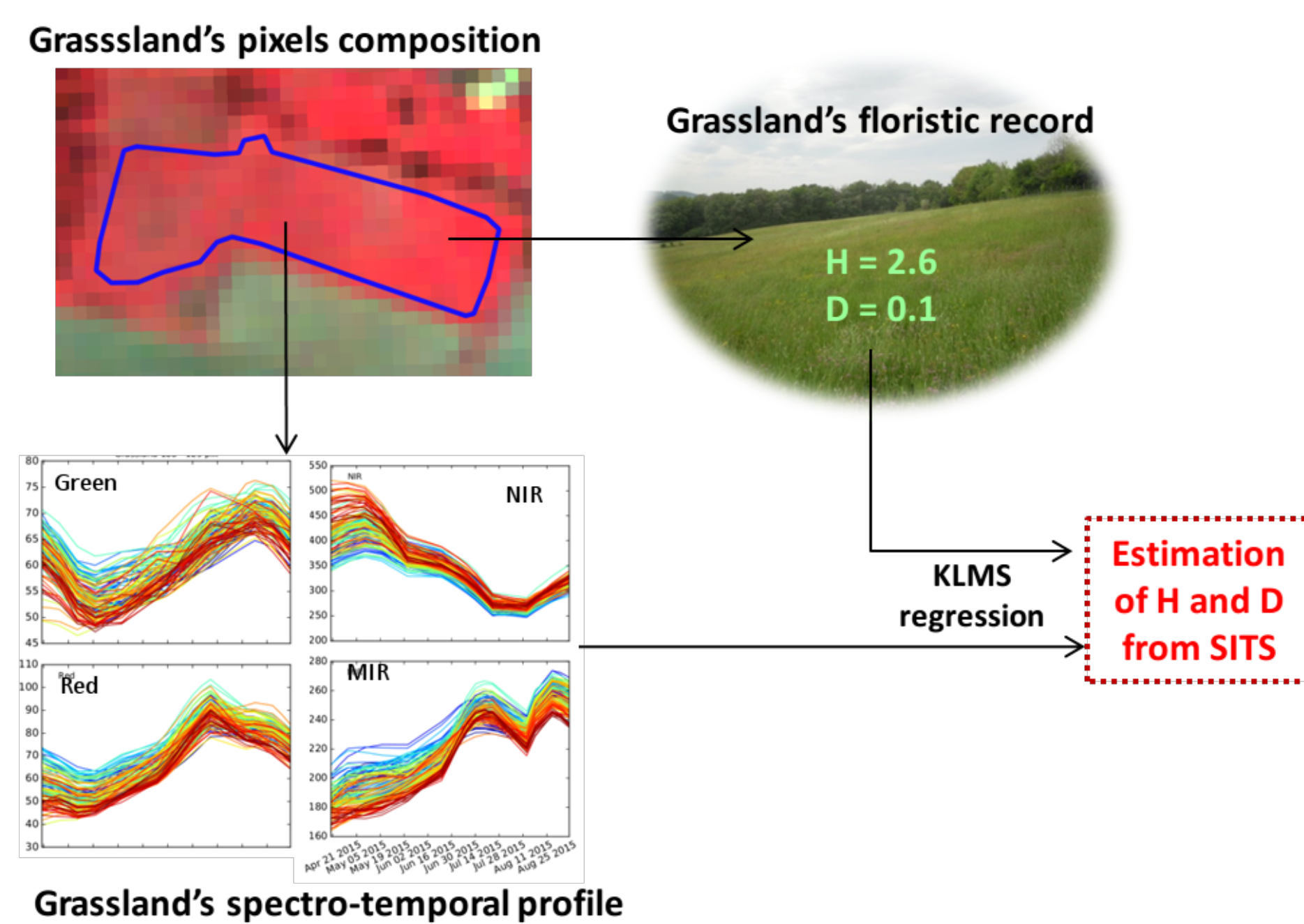
### Context

- Grasslands are one of the main **biodiversity** resource in farmed landscapes.
- Importance of **monitoring grassland biodiversity over large extents**.
- **Biodiversity indices** are defined at the **grassland scale**.
- Better to use very high spatial resolution (<1m) and hyperspectral data to discriminate the species. But limited availability.
- **Tradeoff**: multispectral SITS with **high spatial resolution and very high temporal resolutions** because species differ in their temporal behavior.

### Objectives of this study

**Assess the potential of multispectral satellite image time series (SITS)** with high spatial and high temporal resolutions to **estimate plant biodiversity** at the grassland scale.

### Principle



## Methodology

### Grassland modeling

Each grassland  $g_i$  composed of  $n_i$  **pixels** represented by a **spectro-temporal vector**  $\mathbf{x}_{ik} \in \mathbb{R}^d$ , where  $d = n_B n_T$  is the number of spectro-temporal variables. Two grassland representations: by its **mean vector**  $\boldsymbol{\mu}_i = \frac{1}{n_i} \sum_{k=1}^{n_i} \mathbf{x}_{ik} \in \mathbb{R}^d$  and by its **whole set of pixels**  $\mathbf{x}_{ik}$ . **One response variable**  $y_i \in \mathbb{R}$  per grassland.

### Kernel least mean square (KLMS) regression.

The **KLMS regression** [1] consists in solving:  $\min_f \sum_{i=1}^G (y_i - f(g_i))^2 + \theta \|f\|^2$ , where  $f$  is the regression function such as  $f(g_i) = \hat{y}_i = \sum_{j=1}^G \beta_j K(g_i, g_j) + b$ ,  $\hat{y}_i$  is the predicted variable of  $g_i$ ,  $K$  is the kernel function,  $\beta_j$ 's are the parameters of  $f$ ,  $b$  is the intercept and  $\theta$  is the regularization hyperparameter.  $\beta_j$  and  $b$  are found by least-square minimization.

**Two kernels** based on two grassland modelings are investigated:

- **Mean modeling** and RBF kernel  $\boldsymbol{\mu}$ -**KLMS**:  $K_{\text{RBF}}(g_i, g_j) = \exp(-\sigma \|\boldsymbol{\mu}_i - \boldsymbol{\mu}_j\|^2)$ .
- **Empirical mean kernel EMK-KLMS**:  $K_{\text{EMP}}(g_i, g_j) = \frac{1}{n_i n_j} \sum_{l,m=1}^{n_i, n_j} K_{\text{RBF}}(\mathbf{x}_{il}, \mathbf{x}_{jm})$ .

### Protocol

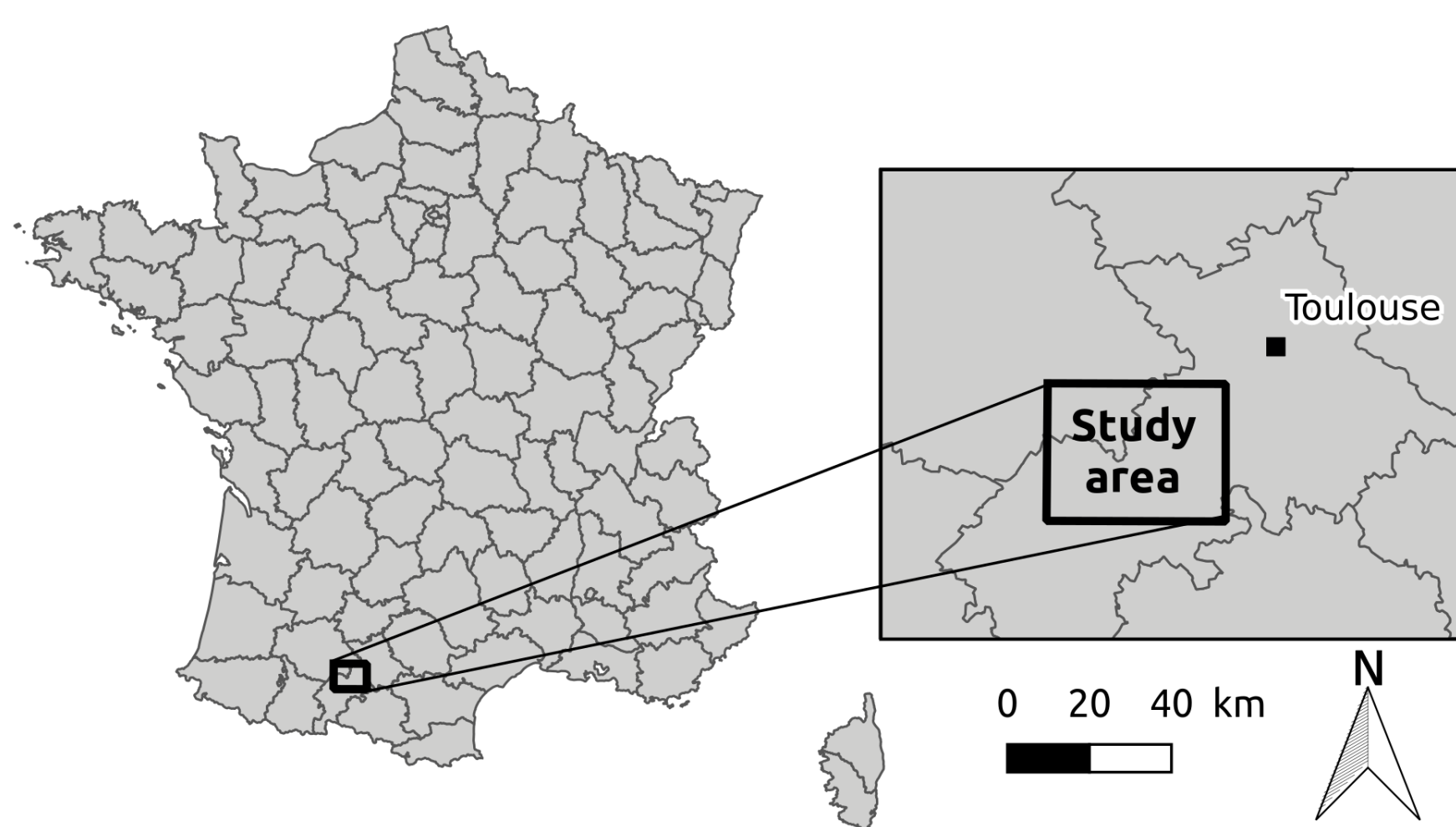
Regression **repeated over 10 runs**, dataset **randomly split into two subsets**: 80% for training and 20% for testing.

Optimal hyperparameters tuned during a **5-fold cross-validation** based on the highest **coefficient of determination**:  $r^2 = 1 - \frac{\sum_i (y_i - \hat{y}_i)^2}{\sum_i (y_i - \bar{y})^2}$ .

## Study site and data

### Study area

Long-Term Ecolog. Research site "Coteaux et Vallées de Gascogne", France.



### Field data

- **Floristic composition** at the **grassland scale** recorded in 2015 and 2016, in **192 grasslands**.
- Computation of **abundance-based biodiversity indices**:

- **Shannon index**  $H = -\sum_{i=1}^R p_i \ln p_i$
- **Simpson index**  $D = \sum_{i=1}^R p_i^2$

where  $p_i$  is the proportion of the  $i^{\text{th}}$  species and  $R$  is the total number of species in the grassland (species richness).

Variable	Min	Max	Mean	SD	CV
H	0.10	3.51	2.27	0.49	0.22
D	0.049	0.973	0.168	0.126	0.752

### Satellite data

Two **multispectral (MS)** or **NDVI intra-annual** (April to September) **SITS**:

SITS	SPOT5 (Take5)	Sentinel-2 (S2)
Year	2015	2016
Spatial res.	10 meters	10 meters and 20 meters
Spectral bands	Green, Red, NIR, MIR	Blue, Green, Red, NIR (10m), 3 red-edge bands and 1 narrow NIR (20m resampled at 10m)
Acquisitions	18 dates 04 05 06 07 08 09 10	7 dates 04 05 06 07 08 09 10

## Results

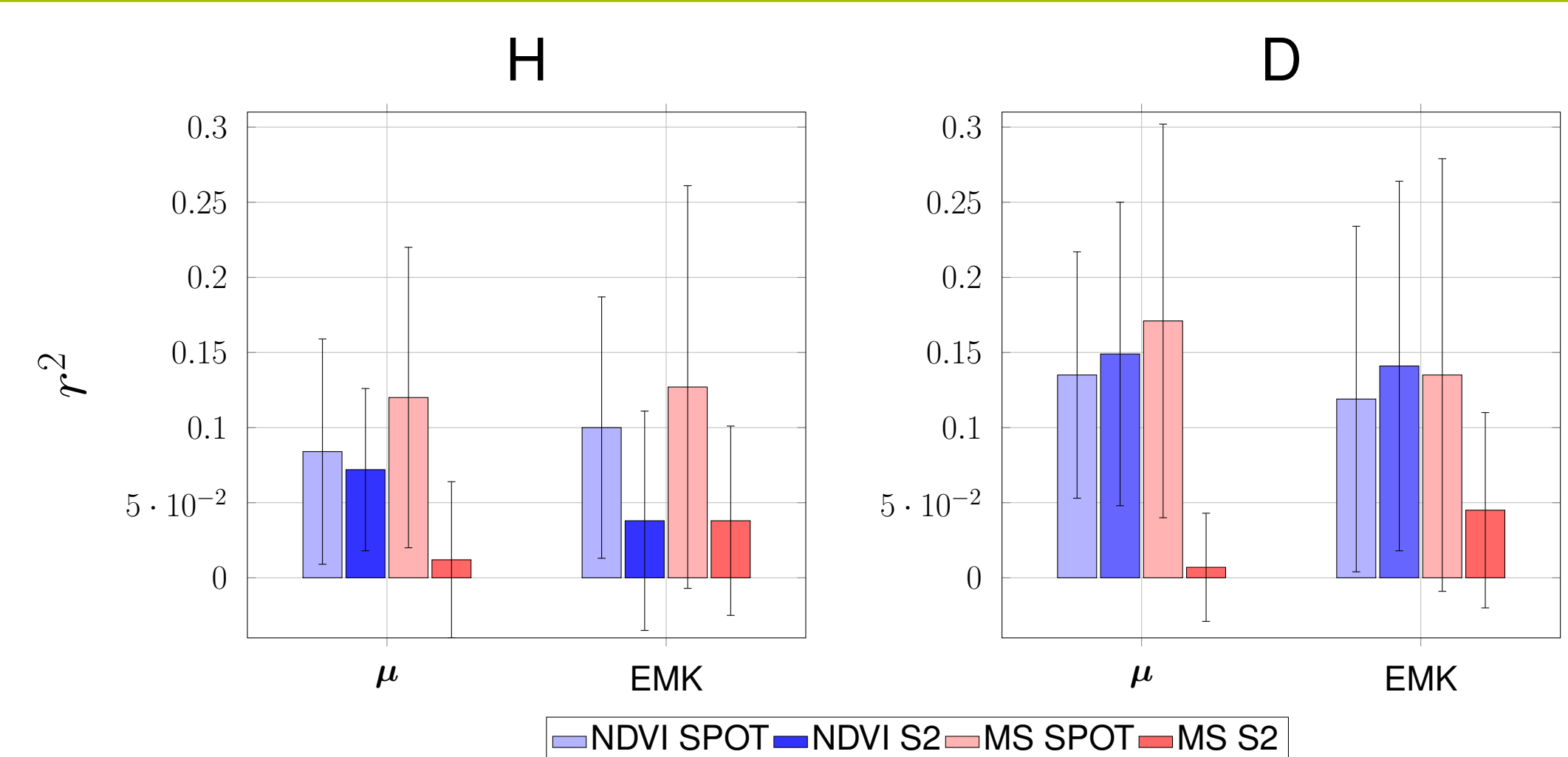


Figure 1: Mean and standard deviation of  $r^2$  over the 10 repetitions.

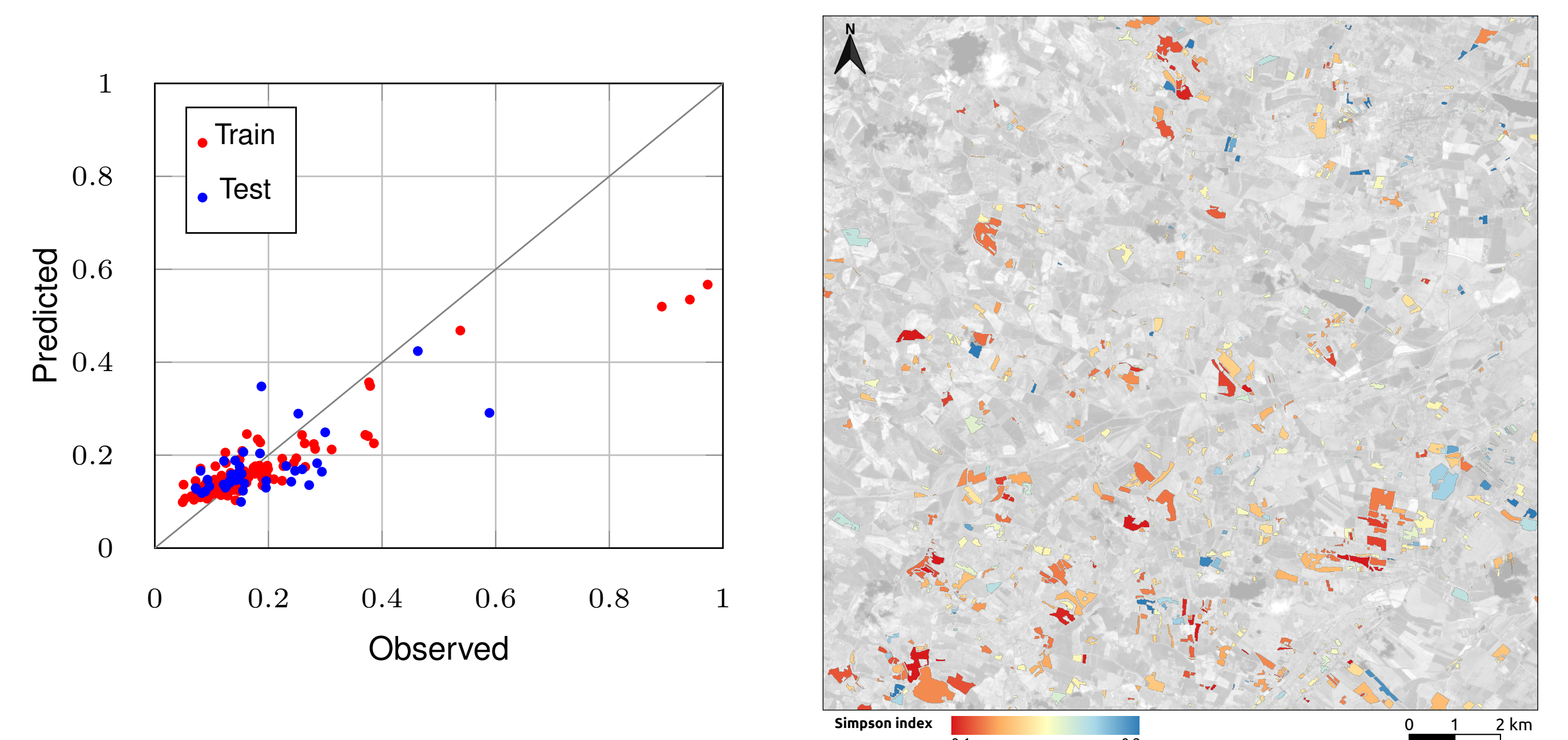


Figure 2: Best run for D prediction with  $\boldsymbol{\mu}$ -KLMS using MS SPOT5 data,  $r^2 = 0.43$ .

Figure 3: Estimation of Simpson index of all the grasslands in the area. The map shows a color-coded distribution of the Simpson index across the study area, with a scale from 0.1 to 0.2.

## Conclusions and prospects

- **Lack of variance** in the predicted dataset.
- Results suggest that **high temporal resolution** combined with high spatial resolution are **not sufficient to estimate plant biodiversity**.
- **Simpson index** was better predicted than Shannon index.
- Prospect: **Spectral heterogeneity** [2] as a proxy for species diversity.

### References

- [1] W. Liu *et al.*, "The kernel least-mean-square algorithm," *IEEE Transactions on Signal Processing*, vol. 56, pp. 543–554, Feb 2008.
- [2] D. Rocchini *et al.*, "Remotely sensed spectral heterogeneity as a proxy of species diversity: Recent advances and open challenges," *Ecological Informatics*, vol. 5, no. 5, pp. 318–329, 2010.