Classification of Hyperspectral Data Using Support Vectors Machines and Data Fusion

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- 2 Support Vector Machines
- 3 Data Fusion

4 Experiment





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- 3 Data Fusion
- 4 Experiment
- **5** Conclusions





Spectral resolution

- Spatial resolution: up to 1m by pixel,
- Spectral resolution: up to 200 bands.

For a classification attempt:

- High spectral resolution: increases the separability of the classes
- Fine spatial resolution: allows a new definition of classes but:
 - Spatial features need to be extracted
 - Curse of dimensionality: statistical estimation is difficult
 - Hughes phenomenon
 - How to use both the spatial and the spectral information?

Geometrical approach for the classification:

- Support Vector Machines (SVMs)
- Kernel Methods

Decision Fusion:

- Decision rule should use SVMs' output particularities
- Confidence of each classifier should drive the fusion





3 Data Fusion

4 Experiment



- Geometrical approach: Find the optimal hyperplane which separates samples.
- Hyperplane parameters: (\mathbf{w}, b) which is found by solving,

$$\min\left[\frac{\|\mathbf{w}\|^2}{2} + C\sum_{i=1}^N \xi_i\right],$$

subject to $y_i(\langle \mathbf{w}, \mathbf{x}_i \rangle + b) \geq 1 - \xi_i, \ \xi_i \geq 0, \ \forall i \in [1, \dots, N].$



• The resulting classification rule is:

$$y_u = sgn\left(\sum_{i=1}^N y_i \alpha_i \langle \mathbf{x}_i, \mathbf{x}_u \rangle + b\right)$$

- Multiclass problems are solved by combining several binary classifiers
- Kernel methods increase the classification capability:

$$\langle \Phi(\mathbf{x}_i), \Phi(\mathbf{x}_j) \rangle = k(\mathbf{x}_i, \mathbf{x}_j)$$





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Decision rules should take into account:

- the SVMs' output characteristics (distance to the hyperplane):
 - signed numbers
 - not bounded
- the agreement of the classifier:
 - seen as a probability



Absolute maximum decision fusion rule:

$$d_{ij}^f = AbsMax(d_{ij}^1, d_{ij}^2)$$

where *AbsMax* is the set of logical rules:

$$\begin{array}{ll} \mathrm{if}(|d_{ij}^1|>|d_{ij}^2|) & \mathrm{then} & d_{ij}^1\\ \mathrm{else} \ \mathrm{if}(|d_{ij}^2|>|d_{ij}^1|) & \mathrm{then} & d_{ij}^2 \end{array}$$

The probability is computed by:

$$p_i^1 = rac{2}{m(m-1)} \sum_{j=0, j \neq i}^m I(d_{ij}^1)$$

Final fusion rule:

$$d_{ij}^f = AbsMax\left(\max(p_i^1, p_j^1)d_{ij}^1, \max(p_i^2, p_j^2)d_{ij}^2
ight)$$



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Experiment

Real hyperspectral data (ROSIS sensor):

- Spectral data, 103 bands
- Extended morphological profile, 63 bands

Three combination scheme were investigated:

- Our proposed fusion rule
- The AbsMax rule, without probability
- Majority voting

Experiment

Classification accuracies:

	Spect.	PCA+EMP	Abs. Max.	A.M.+Prob.	Maj. Vot.
OA	80.99	85.22	89.56	89.65	86.07
AA	88.28	90.76	93.61	93.70	88.49
Kappa	76.16	80.86	86.57	86.68	81.77
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Classes description: asphalt, meadow, gravel, tree, metal sheet, bare soil, bitumen, brick, shadow.

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Some Conclusions:

- Decision fusion for SVMs classifier has been discussed
- The absolute maximum perform well
- Unsupervised fusion scheme

Some perspectives:

- Test the method on other data
- Include some information about the generalization ability of the SVMs classifiers

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